

1995-1996

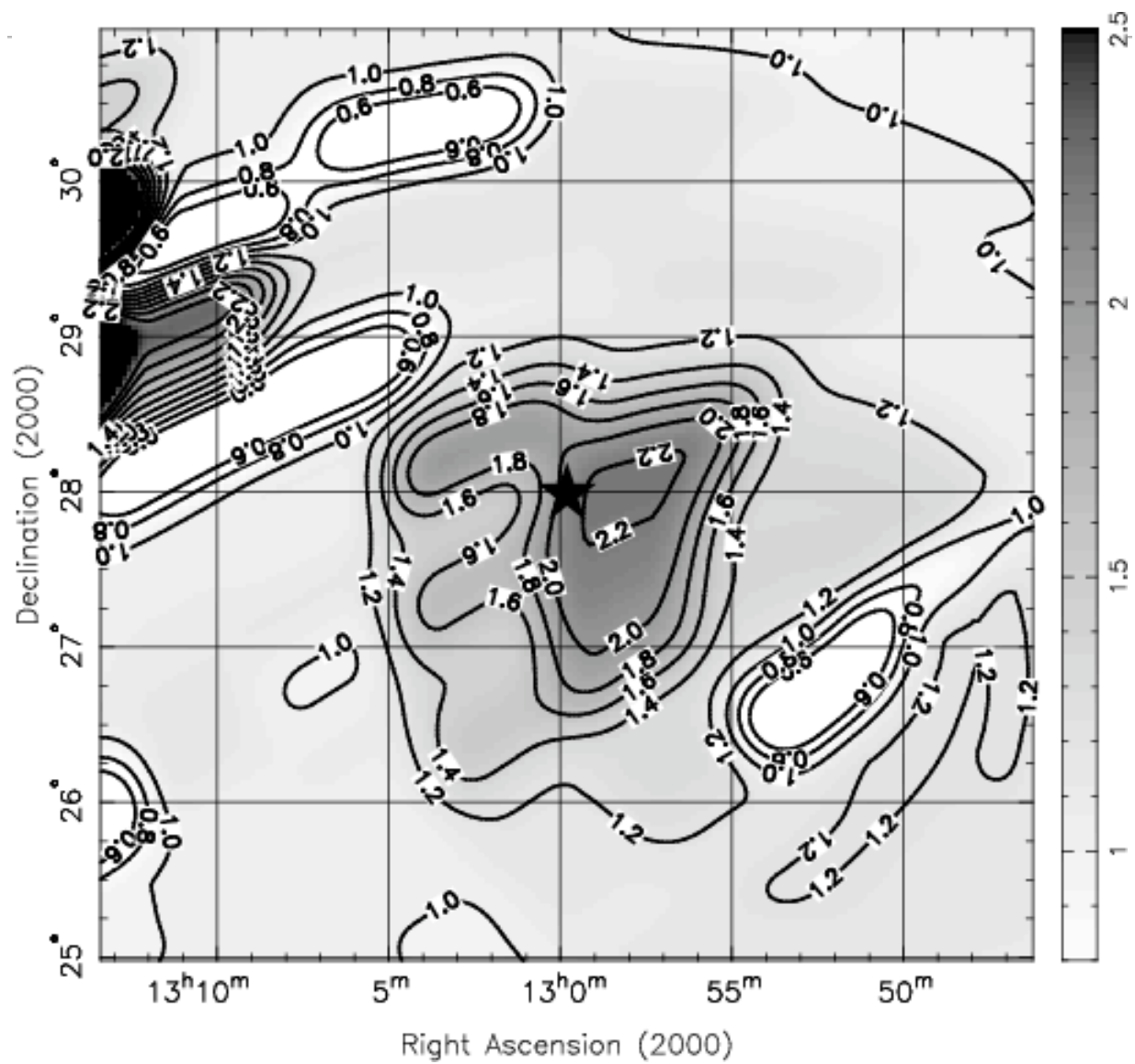
The EUV and soft X-ray excess in Virgo and Coma clusters were interpreted as due to a warm ( $T < 10^6$  K) component of the cluster IGM (Lieu et al., 1996, ApJLett + Science)

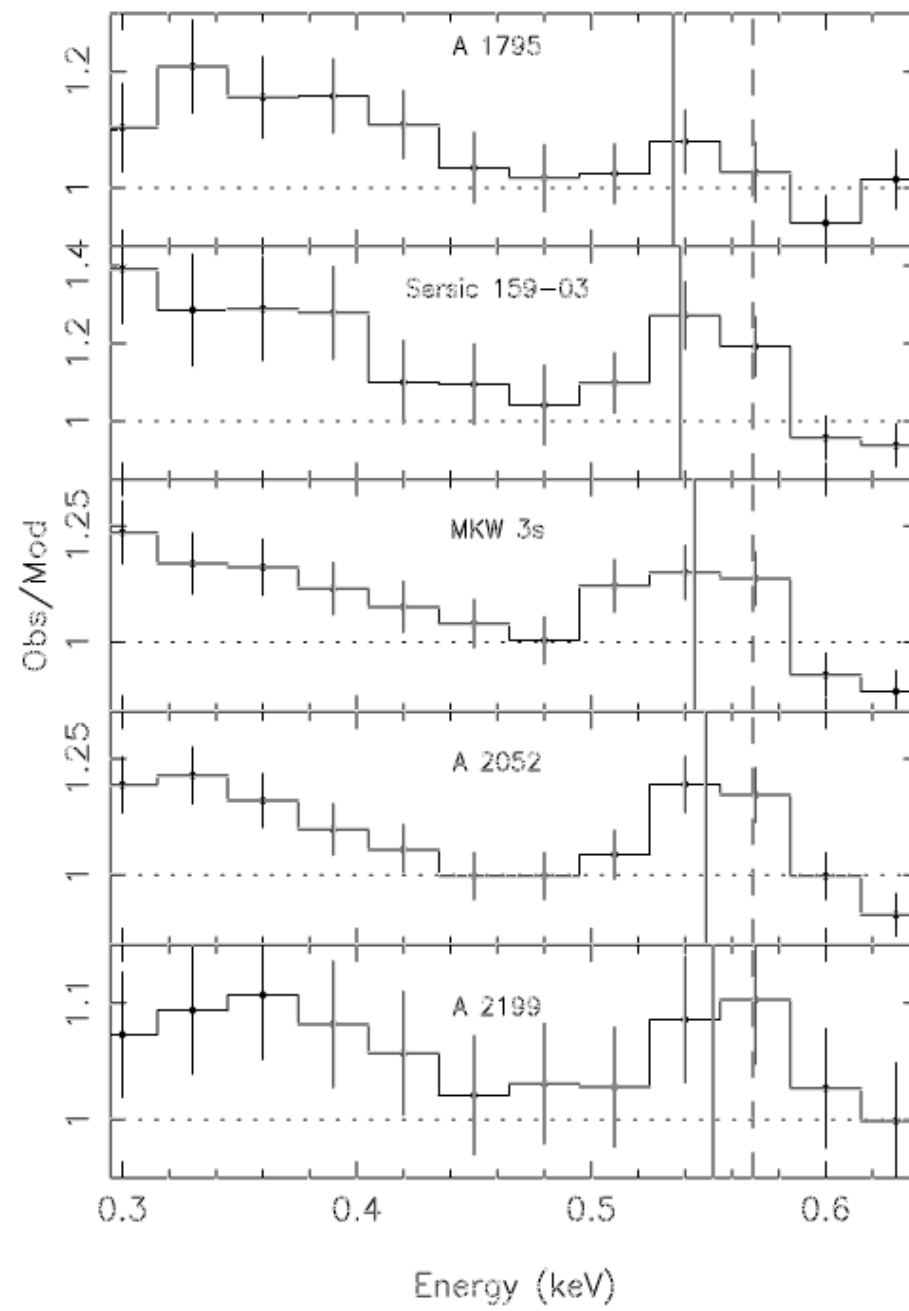
2001-present

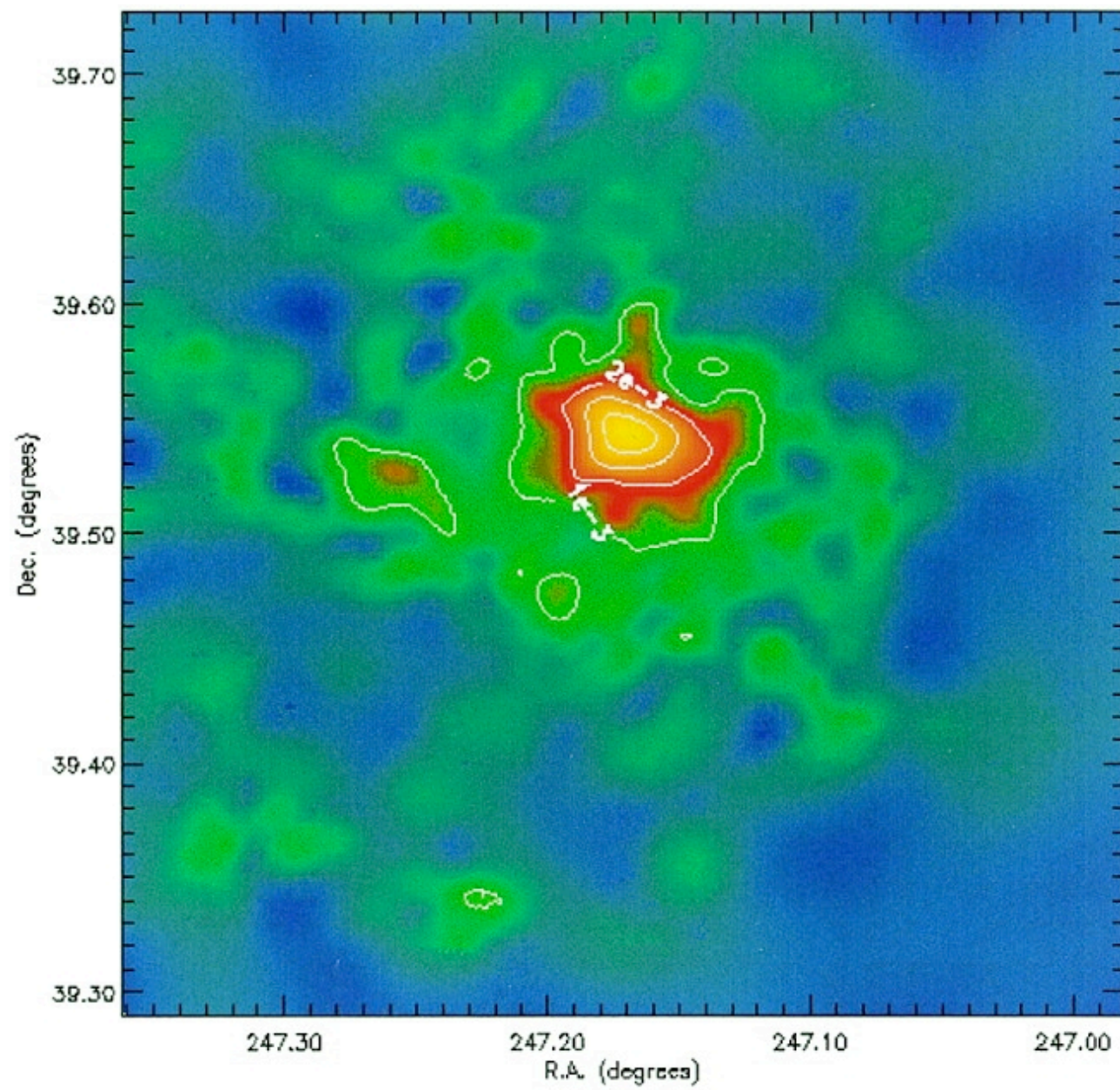
Today confirmations are provided by the XMM-Newton mission which has detected OVII and OVIII emission in the soft excess spectrum of many clusters (but see also ROSAT evidence)

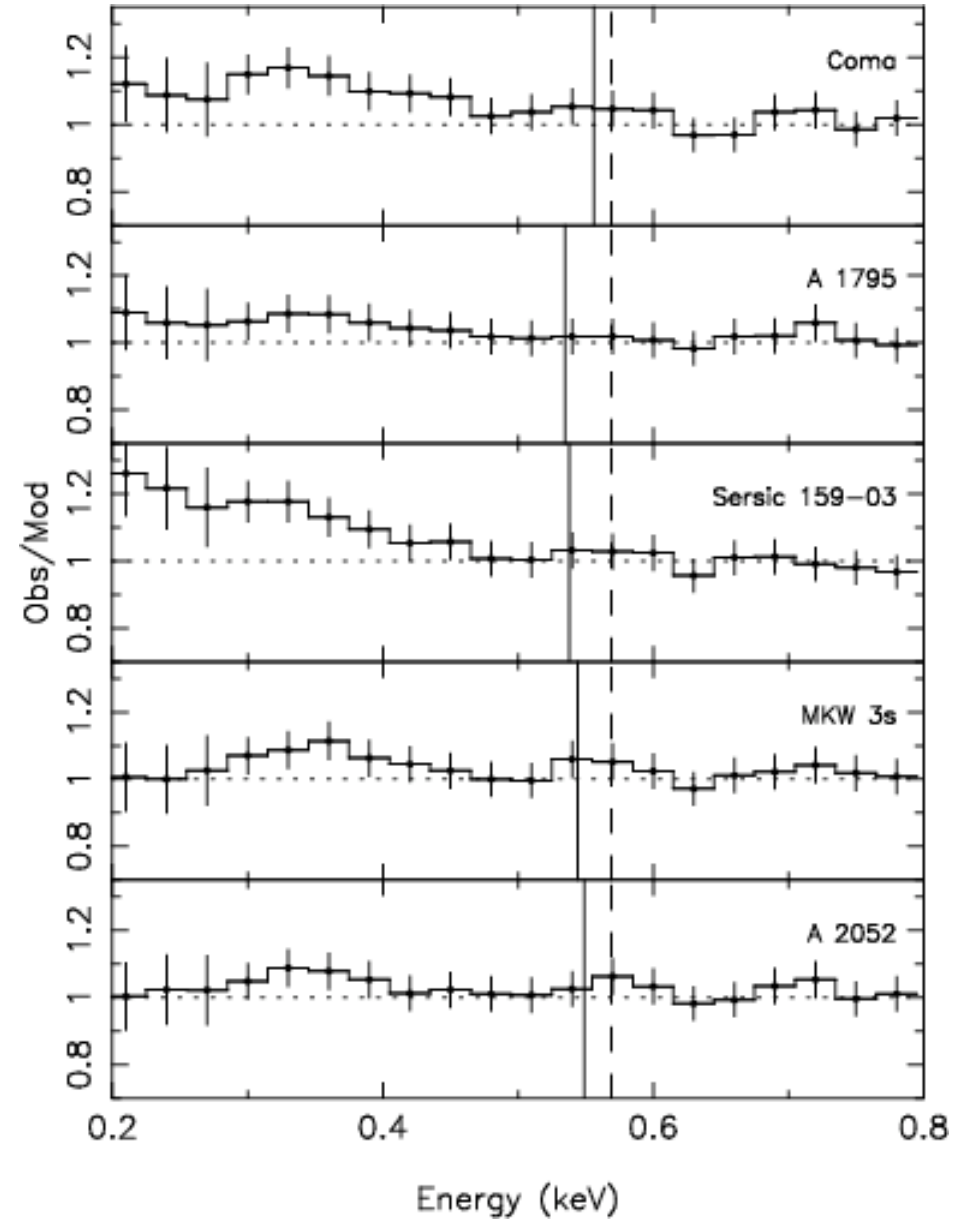
**DO THE OBSERVATIONS AGREE WITH THEORY?**

The soft excess emission may be too bright...





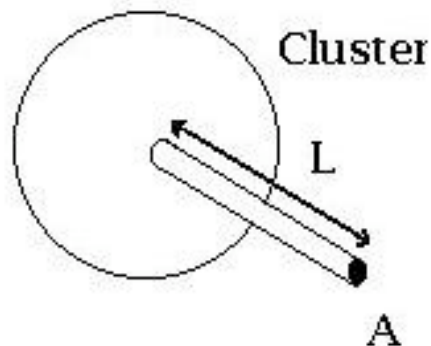




If emission is caused by warm *intercluster* filaments

Can avoid the need to make pressure balance with the hot intracluster gas.  $n_w$  can then be  $< 10^{-2} \text{ cm}^{-3}$

BEWARE: of constraints due to this scenario. The emission Measure EM



$$EM = n^2 L A$$

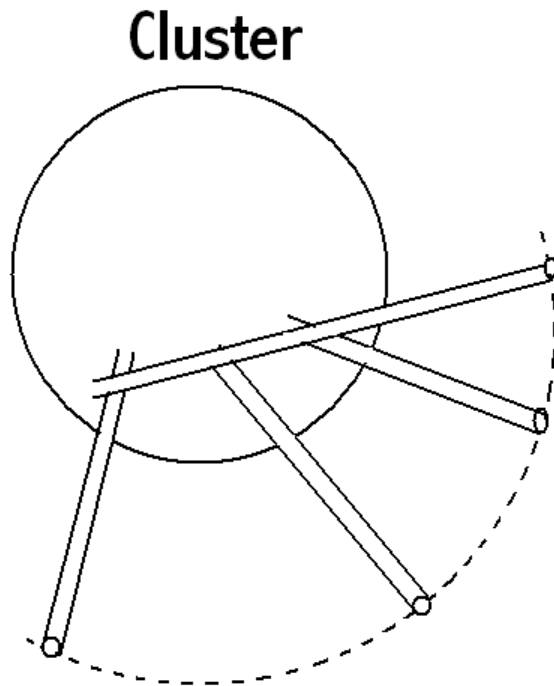
Is fixed by observations. For the Coma cluster the 0-20 arcmin Central radius this is  $10^{68} \text{ cm}^{-3}$  (Bonamente et al. 2002) giving

$$L = 3 (n/10^{-3} \text{ cm}^{-3})^{-2} \text{ Mpc} \text{ ..hence.. } N_H = 10^{22} (n/10^{-3} \text{ cm}^{-3})^{-1} \text{ cm}^{-2}$$

Give significant line opacities but not continuum opacities

## Mass budget of WHIM

Assume filaments form 'spaghetti' converging onto a node (cluster)

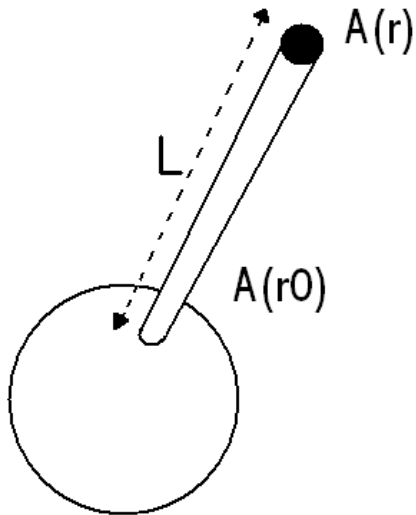


Total mass of warm gas is:

$$M = \frac{4}{3} \pi L^3 n m_p f$$

Where  $f$  is a volume filling factor that decreases with increasing  $L$

If filaments converge to entire cluster surface at  $r = r_0$



$$f(r) = f(r+L) = \frac{A(r) r_0^2}{A_0 r^2}$$

For constant Xsectional area and  $L \gg r_0$   
we have

$$f = (r_0/L)^2$$

Then for Coma

$$M_{\text{WHIM}} = 10^{14} (n/10^{-3} \text{ cm}^{-3})^{-1} (r_0/0.5 \text{ Mpc})^2 M_{\text{sun}}$$



## SOFT EXCESS & THE COOLING FLOW RIDDLE

Can we do away with the non-thermal interpretation of the soft excess?

Within the inner radii the soft excess is very bright – it even outshines the cooling flow. Here the thermal model is untenable inside and outside the cluster

However, if the inflowing gas is adiabatically compressed by a factor  $\alpha$ , the gas pressure  $P_{\text{gas}} \sim \alpha$  but the pressure of any embedded relativistic particles  $\sim \alpha^{(\mu+2)/2}$  where  $\mu$  is the differential power-law no. index

$$\text{Ratio} \quad \frac{P_{\text{CR}}}{P_{\text{gas}}} \sim \alpha^{(\mu-1)/3}$$

ConX simulation of Coma 11 model.  $10^4$  seconds:

